

淡江大學九十三年學年度碩士班招生考試試題

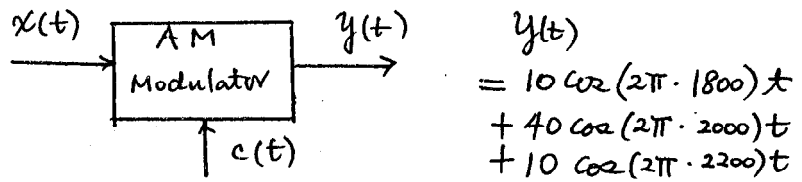
系別：電機工程學系

科目：通信系統

准帶項目請打「○」否則打「x」
○ 簡單型計算機

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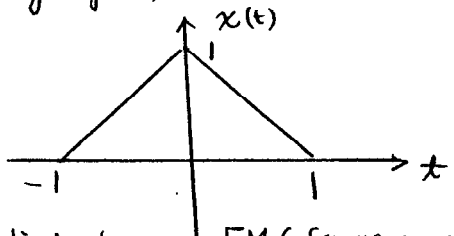
1. An Amplitude Modulator (AM) has a functional block diagram as shown in the following:



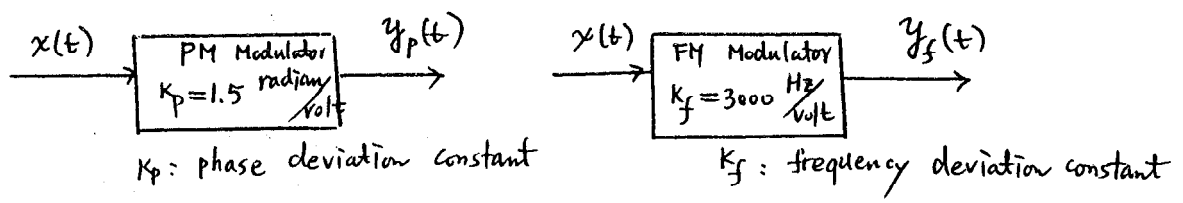
Where $x(t)$: Modulating signal, $c(t)$: carrier signal, $y(t)$: Modulated signal

- (10%)(1.a) determine the modulating signal $x(t)$ and the carrier signal $c(t)$
- (5%)(1.b) determine the Modulation index
- (5%)(1.c) determine the ratio of the power in the sidebands to the power in the carrier.

2. A signal (modulating signal) $x(t)$ has the following form:



This signal is applied to an FM (frequency modulator) or a PM (phase modulator) as shown in the following diagrams:



- (10%)(2.a) Find Fourier Transform $X(f)$ of $x(t)$. Give an estimate of the bandwidth of signal $x(t)$.
- (5%)(2.b) Find the phase modulation β_p of the phase modulator
- (5%)(2.c) plot $y_p(t)$, assume carrier signal is $\cos 2\pi(1000)t$.
- (5%)(2.d) Find the frequency modulation index β_f of the frequency modulator
- (5%)(2.e) Plot $y_f(t)$, assume carrier signal is $\cos 2\pi(1000)t$.

本試題雙面印製

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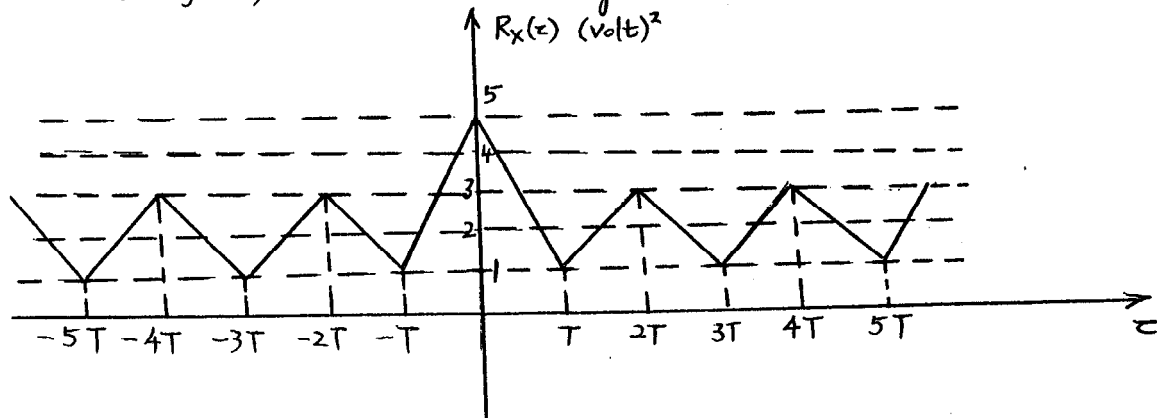
本試題共 2 頁 $\frac{2}{2}$

3. A random process $x(t)$ consists of a DC component $x_{dc}(t)$, a periodic component $x_p(t)$ and a random component $x_r(t)$, i.e.

$$x(t) = x_{dc}(t) + x_p(t) + x_r(t)$$

where $x_{dc}(t) = \sqrt{2}$ volts

Let $R_x(\tau)$ denote the autocorrelation function of $x(t)$ with a time shift of τ , it has the following form:



(10%)(3a) Find the average power of the periodic component $x_p(t)$

(10%)(3b) Find the average power of the random component $x_r(t)$

(5%)(3c) Find the total power of the signal $x(t)$

4. The demodulator of the binary antipodal signals

$$(25\%) \quad s_1(t) = -s_2(t) = \begin{cases} \sqrt{\frac{E_b}{T}} & 0 \leq t \leq T \\ 0 & \text{otherwise} \end{cases}$$

can be accomplished by use of a single integrator as shown in the following figure which is sampled periodically at $t = kT$, $k = 0, \pm 1, \pm 2, \dots$. The additive noise is zero-mean Gaussian with power-spectral density of $\frac{N_0}{2}$ W/Hz. Determine the output signal-to-Noise (SNR) of the demodulator at $t = T$.

