## 淡江大學八十七學年度碩士班入學考試試題

系别: 化學工程學系 科目: 化學反應工程 50%

本試題共 /

1. The elementary irreversible organic liquid-phase reaction

$$A + B \xrightarrow{k} C$$

is carried out in a CSTR. An equal molar feed in A and B enters at 300 K, and the volumetric flow rate is 2 dm<sup>3</sup>/s.

- (a) Calculate the CSTR volume necessary to achieve 85% conversion when the reaction is carried out adiabatically. [18 pts]
- (b) What is the maximum inlet temperature one could have so that the boiling point of the liquid (550 K) would not be exceeded even for complete conversion? [7 pts]

Additional data:

 $H_A^0(273 \text{ K}) = -20 \text{ kcal/mol}, \qquad H_B^0(273 \text{ K}) = -15 \text{ kcal/mol},$ 

 $H_c^0(273 \text{ K}) = -41 \text{ kcal/mol}$ 

 $C_{A0} = 0.1 \, \text{kmol/m}^3$ 

 $C_{pA} = C_{pB} = 15 \text{ cal/(mol · K)}, C_{pC} = 30 \text{ cal/(mol · K)}$ 

 $k = 0.01 \,dm^3/(mol \cdot s)$  at 300 K,  $E = 10,000 \,cal/mol$ 

2. An isothermal reversible reaction  $A \leftrightarrow B$  is carried out in an aqueous solution. The reaction is first-order in both directions. The forward rate constant is 0.4 hr-1 and the equilibrium constant is 4.0. The feed to the plant contains 100 kg/m³ of A and enters at the rate of 12 m³/hr. Reactor effluents pass to a separator, where B is completely recovered. The reactor is a stirred tank of volume 60 m<sup>3</sup>. A fraction y of the unreacted effluent is recycled as a solution containing 100 kg/m³ of A and the remainder is discarded.

Product B is worth \$2 per kilogram and operating costs are \$50 per cubic meter of solution entering the separator. What value of y maximizes the operating profit of the plant? What fraction of A fed to plant is converted at the optimum?

[25 pts]

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## Problem 1 (30 points)

For a mixture of A and B, the partial molal enthalpy of A is given by the formula

$$\vec{h}_A = \vec{h}_A + C x_B^3$$
 where  $\vec{h}_A$ : pure component enthalpy of A

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- (a) compute the corresponding formula for the partial molal enthalpy of B,
- (b) if we add isothermally one lb mole of B to ten lb mole of A, how much heat is absorbed or released? (given in this case C = 0.5 Btu / lb mole)

## Problem 2 (20 points)

For natural gas, the equation of state is

 $Z=1-P_{\gamma}$  [ 0.554 - 0.3033  $T_{\gamma}$  ] where Z is the compressibility factor (Pv/RT),  $P_{\gamma}$  and  $T_{\gamma}$  are the reduced pressure and reduced temperature. Based on the given equation, calculate the enthalpy change (in Btu/lb.mole) of a gas that is compressed isothermally from  $P_{\gamma}=0.1$  to  $P_{\gamma}=0.9$  at  $T_{\gamma}=1.12$ ;

given: for homogeneous fluid of constant composition, dH = TdS + VdP  $T_c = 500^{\circ} R$ ,  $C_p = (3H/3T)_p$   $(3T/3P)_s = (3V/3S)_p$ , and  $(3S/3P)_T = -(3V/3T)_p$