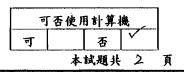
科目:統 計 學



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- 1) Let $X_1, X_2, ..., X_n$ be a random sample of size n. Using it, define the following:
 - (18%)

- (a) Sample mean
- (b) Sample median
- (c) Sample mode
- (d) Sample variance (e) Sample standard deviation(f) The coefficient of variation.
- 2) (a) What is meant by "Events A, B are mutually exclusive"? (2%)
 - (b) Let $A_1, A_2, ..., A_n$ be n mutually exclusive events such that $P(A_j) \neq 0$ for j = 1, 2, ..., n, and whose union is the entire sample space S. For any given event B such that $P(B) \neq 0$, state the Bayes' Law Formula for the posterior probabilities $P(A_j \mid B)$, j = 1, 2, ..., n. (6%)
 - (c) The Graduate Management Admission Test (GMAT) is a requirement for all applicants of MBA programs. There are a variety of preparatory courses designed to help improve GMAT scores. Let A_1 be the event that an applicant gets GMAT score 650 or more, A_2 be the event that the applicant gets GMAT score less than 650, and B be the event that the applicant take preparatory course. Suppose $P(A_1) = 0.40$, $P(B \mid A_1) = 0.20$ and $P(B \mid A_2) = 0.05$.
 - (i) Are A_1 and A_2 mutually exclusive? (2%)
 - (ii) Compute $P(A_1 \cap B)$ and $P(A_2 \cap B)$. (6%)
 - (iii) Compute P(B). (4%)
 - (iv) Apply Bayes' Law Formula to compute $P(A_i | B)$ and $P(A_2 | B)$. (8%)
- 3) (a) Let Z be a standard normal random variable. That is, $Z \sim N(0,1)$. Let F_z be the distribution function of Z. What is the probability density function of Z? If $F_z(-a) = 0.121$, what is the value of $1 - F_z(a)$? (8%)
 - (b) Let the random variable X have a Chi-Squared distribution with r degrees of freedom. What are the mean and variance of X? (6%)
- 4) Let $X_1, X_2, ..., X_n$ be a random sample of size n from a normal population with mean μ and known variance $\sigma^2 > 0$.
 - (a) Give an unbiased estimator for μ . (4%)
 - (b) Give a confidence interval for μ with confidence coefficient α , $0 < \alpha < 1$.

(6%)

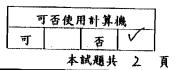
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淡江大學 96 學年度轉學生招生考試試題

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系別: 商管組三年級

科目:統 計 學



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- 5) To test the null hypothesis H_0 against the alternative H_1 by using a test.
 - (a) What is a type I error for this test?

(4%)

(b) What is a type II error for this test?

(4%)

(c) What is the power of this test?

(4%)

- (d) Suppose that the null hypothesis is $H_0: \theta > 170$ and the test statistic for this test is T, what is the p-value of this test? if T=175. (4%)
- 6) (a) What is meant by a multinomial experiment?

(6%)

(b) Describe the Chi-Squared Goodness-of-fit Test.

(8%)